

Review: Modeling a natural system as linear time invariant (LTI) model

Listen the below video on headphones (instead of earphones) for full effect



https://www.youtube.com/watch?v=vTvEs15u5ek&t=97s

HOW WE LOCALIZE SOUND

r as long as we humans ave lived on Earth, we been able to use our ears ocalize the sources of ls. Our ability to localize s us of danger and helps rt out individual sounds the usual cacophony of acoustical world. acterizing this ability in ins and other animals is an intriguing physical,

Relying on a variety of cues, including intensity, timing, and spectrum, our brains recreate a three-dimensional image of the acoustic landscape from the sounds we hear.

William M. Hartmann

The spherical-be is obviously a simp Human heads include ety of secondary so that can be expecte to structure in the frequency dependen ILD. Conceivably, the ture can serve as an al cue for sound loc As it turns out, that what happens, but

Reading Material

Computing Edit Distance

Problem: computing edit distance

Input: two strings, s and t

Output: minimum number of character insertions, deletions, and substitutions it takes to change s into t

Examples:

"cat", "cat"	\Rightarrow	0
"cat", "dog"	\Rightarrow	3
"cat", "at"	\Rightarrow	1
"cat", "cats"	\Rightarrow	1
"a cat!", "the cats!"	\Rightarrow	4

Credits: CS221 Al Systems Course

Edit (or Levenshtein) distance

Applications:

- information theory, linguistics, computational biology, and computer science, the Levenshtein distance is a string metric for measuring the difference between two sequences.
- informally, the Levenshtein distance between two words is the minimum number of single-character edits (insertions, deletions or substitutions) required to change one word into the other.
- It is named after the Soviet mathematician Vladimir Levenshtein, who considered this distance in 1965.

Concept of Memoization

Fibonacci computation

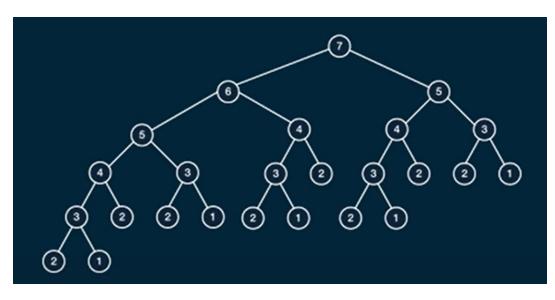
fib(n) = fib(n-1) + fib(n-2)fib(1) = 1fib(2) = 1

Concept of Memoization

Fibonacci computation

Visualizing Fibonacci computation

compute_fibonacci(7)



fib(n) = fib(n-1) + fib(n-2)fib(1) = 1fib(2) = 1

Memoization + Recursion = Dynamic Programming

Dynamic Time Warping (DTW)

In time series analysis, dynamic time warping (DTW) is an algorithm for measuring similarity between two temporal sequences, which may vary in speed.

For instance, similarities in walking could be detected using DTW, even if one person was walking faster than the other, or if there were accelerations and decelerations during the course of an observation.

DTW has been applied to temporal sequences of video, audio, and graphics data — indeed, any data that can be turned into a one-dimensional sequence can be analyzed with DTW.

Other applications include speaker recognition and online signature recognition. It can also be used in partial shape matching applications.

More here: https://dynamictimewarping.github.io/

Following slides are adapted from:

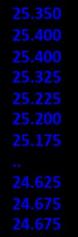
Abdullah Mueen, Eamonn J. Keogh: Extracting Optimal Performance from Dynamic Time Warping. KDD 2016: 2129-2130

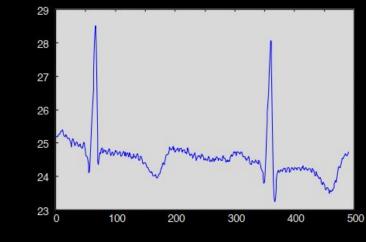
What are Time Series? 1 of 2

A time series is a collection of observations made sequentially in time.

More than most types of data, time series lend themselves to *visual* inspection and intuitions...

For example, looking at the numbers in this blue vector tells us nothing. But after *plotting* the data, we can recognize a heartbeat, and possibly even diagnose this person's disease. This tutorial will leverage the visual intuitiveness time series.



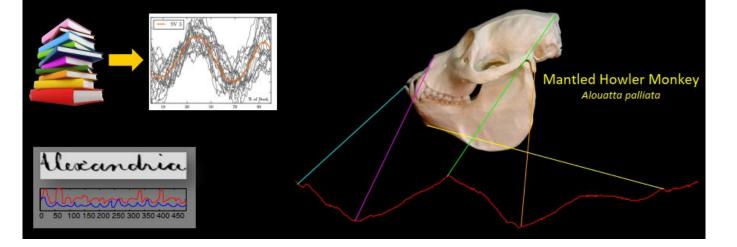


What are Time Series? 2 of 2

As an aside... (not the main point for today)

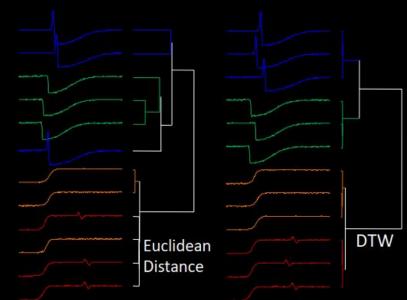
Many types of data that are not *true* time series can be fruitfully transformed into time series, including DNA, speech, textures, core samples, ASCII text, historical handwriting, novels and even *shapes*.

This fact greatly expands the purview of DTW



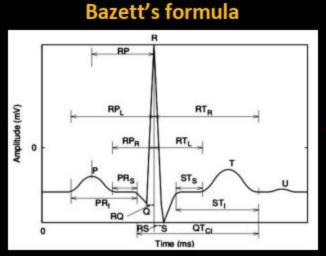
What is Dynamic Time Warping?

- DTW is an algorithm for measuring similarity between two time series which may vary (i.e. *warp*) in timing.
- This invariance to warping is critical in many domains, for many tasks.
- Without warping invariance, we are often condemned to very poor results.

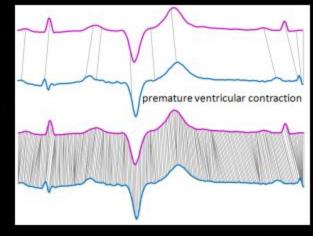


Why Study DTW? 2 of 5

- It is almost impossible to overstate the ubiquity of DTW in data analytics
- It is used in: robotics, biometrics, medicine, metrology, bioinformatics, video games, gesture recognition, image processing, seismology, music processing, entomology, anthropology, computational photography, bioacoustics, finance,...

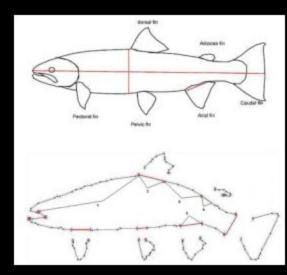


Accuracy 75 to 95% (10 classes) 1NN DTW Accuracy 98% plus (10 classes)



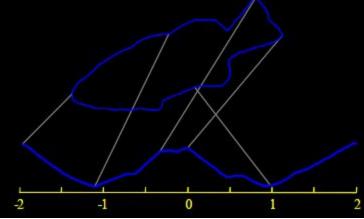
Parameter-free or parameter-lite, robust to noise etc.

PR Interval, PR Segment, Corrected-QT Interval, ST Segment , ST Interval , RR Interval , RQ Amplitude, R_{peak} to T_{onset} Segment RS Amplitude , Angle Q, Angle R, Angle S,... $F1=\{7.3,4.2,5.2,1.2,6.7,...\}$

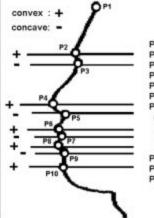


Accuracy 75.7% 1NN DTW Accuracy 86.0%

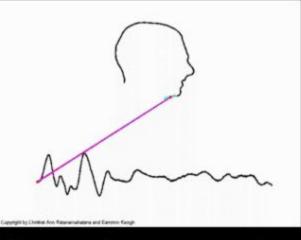




- 1. length between the nose and dorsal fin
- 2. width of the dorsal fin
- 3. distance between the dorsal fin and adipose fin
- 4. width of the adipose fin
- 5. width of the anal fin
- F1={5.1,1.2,2.9,1.0,2.2}



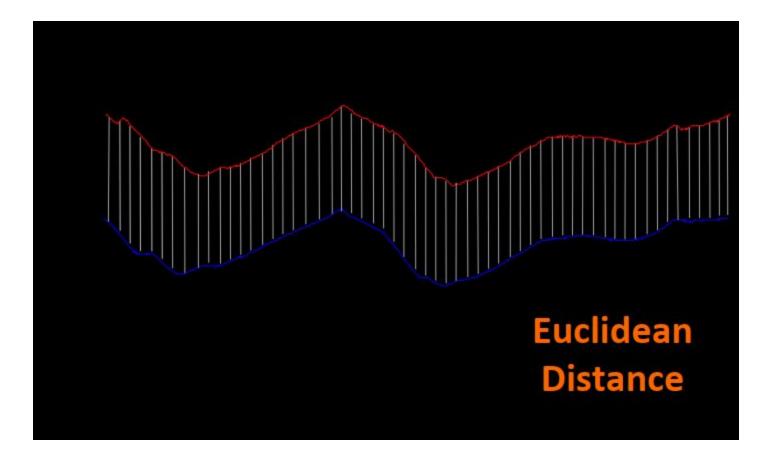
P1: top of the forehead P2: eyebrow arcade P3: root of the nose P4: tip of the nose P5: upper jaw P6: uper lip P7: lips attachment (if tongue is visible: P7 : tongue-lip attachment P7": tongue-lip attachment) P8: lower lip P9: lower jaw P10: tip of the chin Accuracy 70 to 80% (10 classes) 1NN DTW Accuracy 90% plus (10 classes)

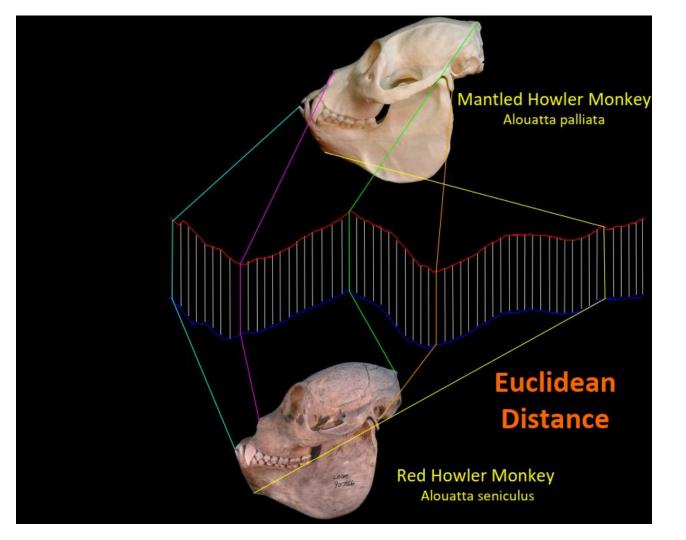


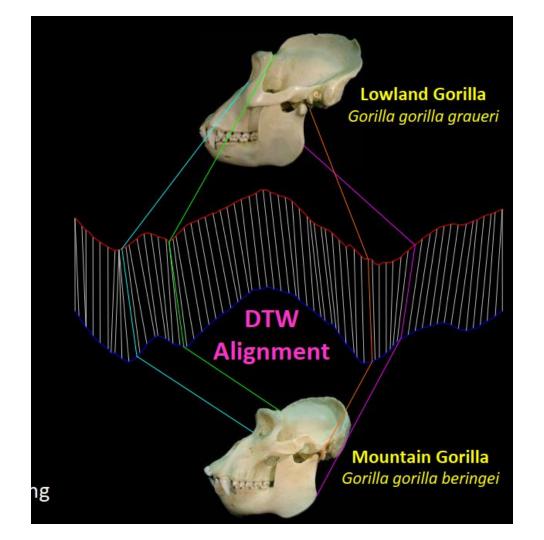
Parameter-free or parameter-lite, robust to changes of expression..

How many fiducials? Pantic suggests 10, Campos suggests 8, Dariush suggests 9, Liposcak suggests 12...

F1={7.4,1.3,2.1,1.2,4.6, 5.6, 43.3}







Applications of distance measures? Clustering

When doing learning: "Similar data-points can be grouped together"

What if we do not have labels? Welcome to unsupervised setting. Distance computation between data points helps.

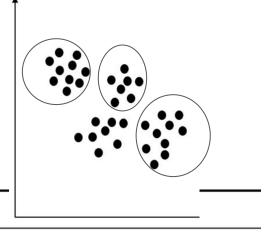
Algorithm 1 k-means algorithm

1: Specify the number k of clusters to assign.

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- 2: Randomly initialize k centroids.
- 3: repeat
- 4: **expectation:** Assign each point to its closest centroid.
- 5: maximization: Compute the new centroid (mean) of each cluster.

Using distance measures

- 1: Specify the number k of clusters to assign.
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- 1: Specify the number k of clusters to assign.
- 2: Randomly initialize k centroids.
- 3: repeat
- 4: **expectation:** Assign each point to its closest centroid.
- 5: maximization: Compute the new centroid (mean) of each cluster.
- 6: until The centroid positions do not change.

Image segmentation - using clustering

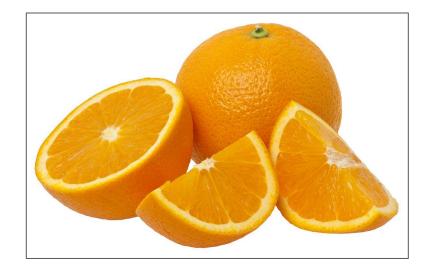


Image compression - using clustering



From C. Bishop

Reading material:

Chapter 9: C. Bishop's book Pattern Recognition and Machine Learning

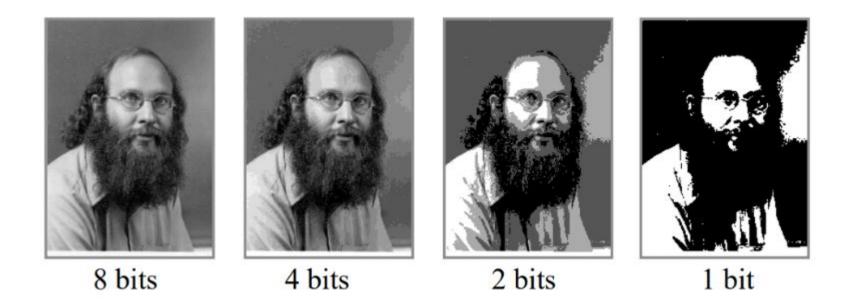
Additional:

ARTICLE

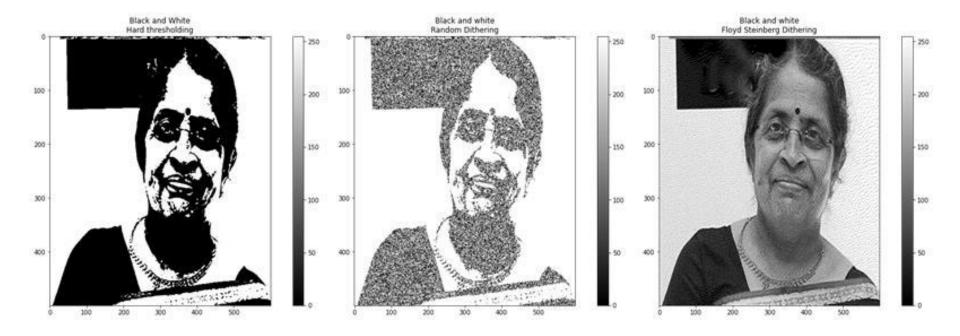
Data clustering: a review

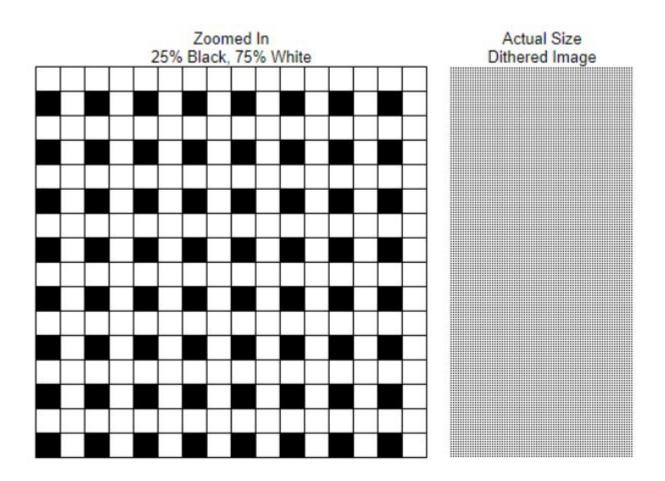
Authors: 🙎 A. K. Jain, 🙎 M. N. Murty, 🚳 P. J. Flynn

Image quantization



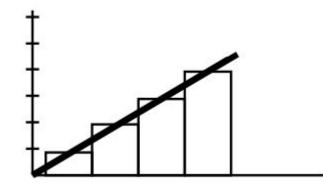
All are 1 bit images - intensity take 2 values, only





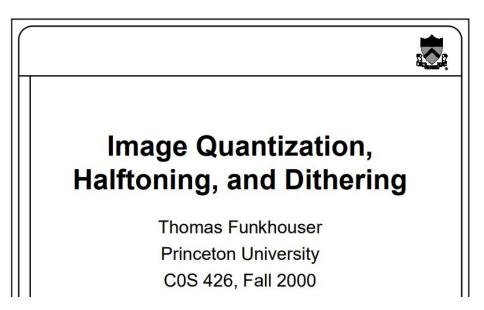
Quantization

- assigning discrete values to the continuous amplitude values taken by the signal
- The discrete values are also called levels
- If b bits are used to represent the discrete values then there are 2^b discrete levels



Quantization Error results due to limited intensity resolution.

Dithering - allows distributing the quantization error



Source: https://www.cs.princeton.edu/courses/archive/fall00/cs426/lectures/dither.pdf

Thank you